

Compression in visual short-term memory: Using statistical regularities to form more efficient memory representations

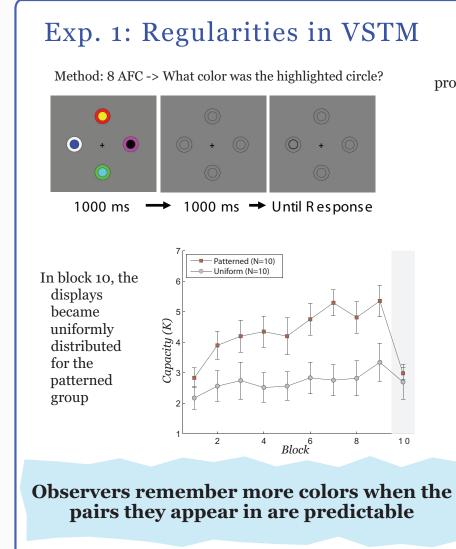
Timothy F. Brady Talia Konkle

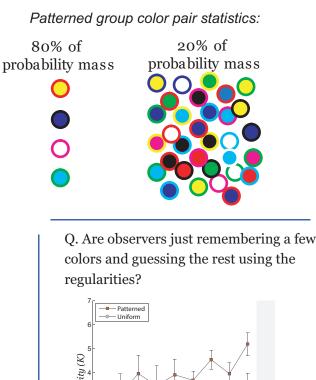
Motivation

VSTM capacity is typically measured on displays where items appear in random locations, and estimates of capacity range from 3-4 colors and from 1 to 2 complex shapes (Luck & Vogel, 1997; Alvarez & Cavanagh, 2004).

However, in the world items do not appear randomly -- they tend to covary. This covariance should reduce the information needed to remember the displays (Shannon, 1948).

Can observers take advantage of statistical regularities to remember more colors in VSTM?





A. No - Even when only the low

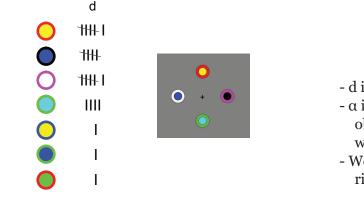
frequncy pairs are considered,

capacity improves over time.

Information Theoretic Model



Tallies observed color pairs to estimate the probability of seeing each pair

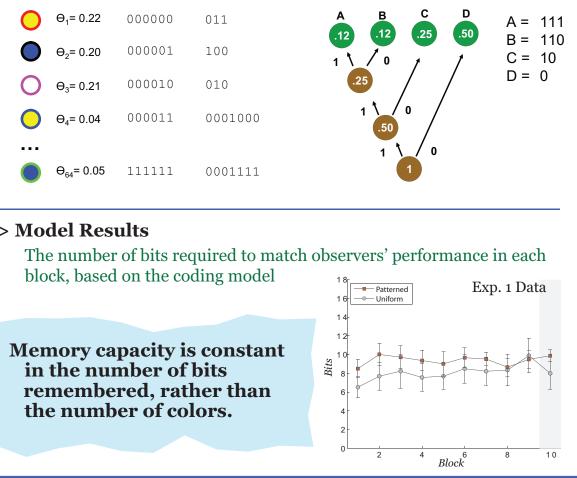


-> Huffman Coding Model

Uses probabilities from the learning model to encode the stimuli efficiently

	Standard Code	Huffman Code	Huff
Θ ₁ = 0.22	000000	011	A
Θ ₂ = 0.20	000001	100	1 1
Θ ₃ = 0.21	000010	010	
⊖ ₄ = 0.04	000011	0001000	
Θ ₆₄ = 0.05	111111	0001111	
	$\Theta_2 = 0.20$ $\Theta_3 = 0.21$ $\Theta_4 = 0.04$	Code $\Theta_1 = 0.22$ 000000 $\Theta_2 = 0.20$ 000001 $\Theta_3 = 0.21$ 000010 $\Theta_4 = 0.04$ 000011	CodeCode $\Theta_1 = 0.22$ 000000011 $\Theta_2 = 0.20$ 000001100 $\Theta_3 = 0.21$ 000010010 $\Theta_4 = 0.04$ 0000110001000

-> Model Results





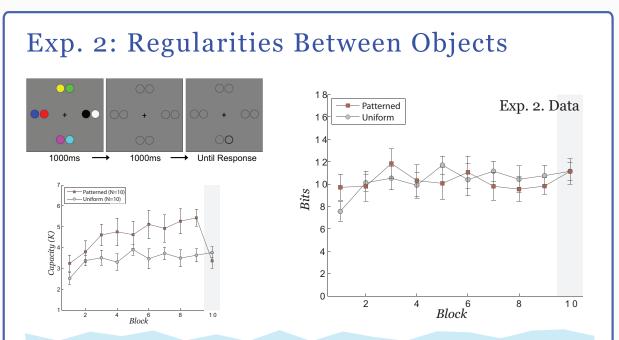
George A. Alvarez



- $\theta \sim \text{Dirichlet}(\alpha)$
- d ~ Multinomial(e)

- d is the observed color pairs - α is the prior on how strongly observers believe color pairs will be drawn uniformly - We wish to estimate the posterior on Θ , p($\Theta \mid d, \alpha$)

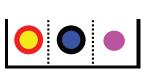
fman Coding Example:



Observers use regularities between objects as well as within objects. Memory capacity is still constant in bits.

Discussion

- Observers remember more colors when they can rely on statistical regularities.
- This VSTM capacity is consistent with a fixed capacity in bits rather than in terms of number of objects.



The data are also consistent with a model of VSTM capacity in terms of a fixed number of 'chunks', where frequently associated colors get put into a single slot.

However, such a model is simply an all-or-nothing approximation to the compression algorithm described here.

Alvarez, G. A., & Cavanagh, P. (2004). The capacity of visual short-term memory is set both by visual information load and by number of objects. Psychological Science, 15, 106-111. Luck, S.J., & Vogel, E.K. (1997). The capacity of visual working memory for features and conjunctions. Nature,

390, 279-28 Shannon, C.E. (1948). A mathematical theory of communication. Bell System Technical Journal, 27, 379-423.